

Guitar Tuner for Symbian OS



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01.07.2009

Spring semester 2008



- Motivation
- Project goal
- Requirements
- General architecture
- HPS Pitch detection algorithm

• Live demonstration





• Why tune a guitar?

• What existed before?



• Why do we need something better?



 Modern cellphones are strong enough to run a tuner program

- This implementation has major advantages over the rest
 - No need to carry a special device
 - Easily updated

Project goal

- To create a "Guitar Tuner" application for symbian OS
 - Sybmian is an OS designed for mobile devices, it is very commonly used today

Requirements

- 8-48KHz sampling rates, we will work with 8KHz
- The desired pitch range is [C2,~E5] frequency range is [65,700] Hz



Minimal frequency resolution : 25 cents
=~ IHz around the low frequencies

RealTime processing

• Fixed point arithmetic

General architecture





Harmonic Signal Structure

 Fundamental frequency (f₀) and its products

Different energies





* Patricio de la Cuadra, Aaron Master, Craig Sapp. Efficient Pitch Detection Techniques for Interactive Music. [Center for Computer Research in Music and Acoustics, Stanford University]

Harmonic Product Spectrum





Implementation Problems & Solutions

- Example : FFT algorithm makes redundant calculations
- Solution : using FFT optimized for real signals



Implementation Problems & Solutions

- Example : low frequency resolution
- Solution : use values of higher harmonies



Environment

The program is implemented using Carbide C++ environment for Symbian

Run on Nokia cellphone emulator, and Nokia N95 cellphone purchased for the project

Environment

Nokia N95 specifications:

- Operating System: Symbian OS v9.2
- CPU Type: ARM II (clock rate: 332MHz)
- Free Executable RAM Memory: 18 MB
- Audio sampling rates: 8 48 KHz
- Has on-device debug capability



Project goal was achieved

- All requirements were met
- The application could be used freely

Good feedbacks

Live Demonstration



FFT algorithm: Real signal optimization

Original signal: $n \in [0, N-1]$ $u[n] \in \mathbf{R}$ $m, k \in [0, (N/2) - 1]$ Define x[n]: $x[m] = u_e[m] + j * u_o[m]$ $\mathbb{F}\{x[m]\} = X[k] = U_e[k] + j * U_o[k]$ According to classic FFT: $U[k] = U_{e}[k] + W_{N}^{-k} * U_{o}[k]$